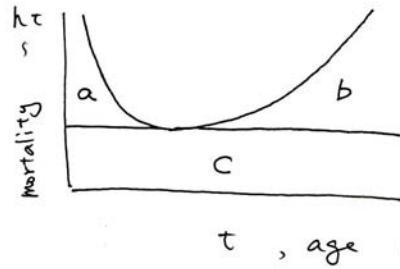


Gage TB () Population Variation in cause of death: level, gender and period effects. Demography, 31: 291-296.

① Silen Competing Hazard Model

$$h_t = a_1 e^{-b_1 t} + a_2 + a_3 e^{b_3 t}$$

negative Gompertz function
constant
Gompertz function



$$\int_0^{80} = a \quad \int_0^{80} = c \quad \int_0^{80} = b$$

immature mortality
residual mortality
senescent mortality

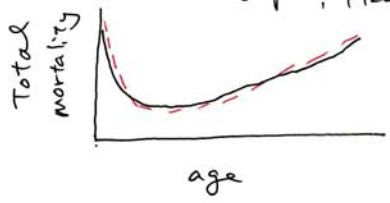
infant
overall
aging

$a+b+c$
= cumulative hazard (0-80 years)

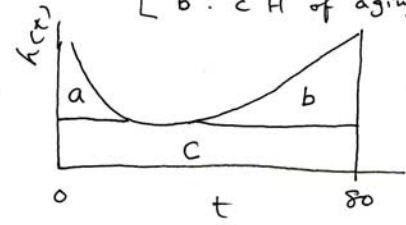
a: cumulative hazard of immature deaths
 b: cumulative hazard of residual deaths
 b: c H of aging death

② Parameters estimated

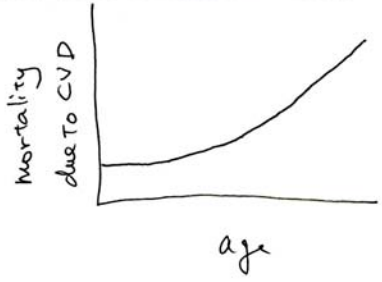
Life table



model

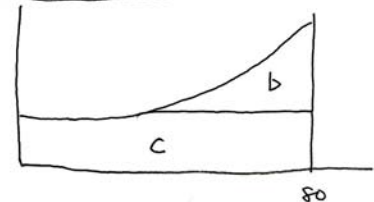


Disease-specific life table



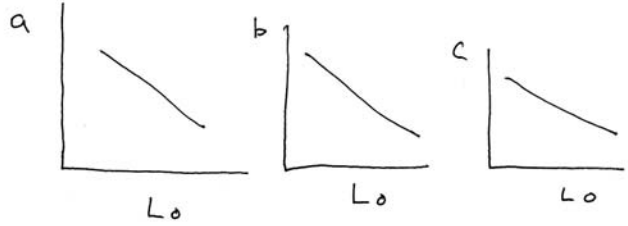
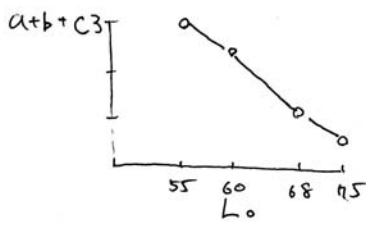
model

Disease specific hazard function



ex (3)

			$a+b+c$	a	b	c
Japan	1920	$L_0 = 55$	3	0.5	0.4	2.1
	1940	$L_0 = 60$	2.5	0.3	0.3	1.9
	1960	$L_0 = 68$	2	0.2	0.2	1.6
	1980	$L_0 = 75$	1.5	0.1	0.1	1.3



→ Fig 6, Fig 11 in Gage (2005)

i)

$$h_i = c + \beta_1(e_0) + \beta_2(g) + \beta_3(e_0 \times g) + \beta_4(p)$$

i = component (a or b or c)

e_0 = life expectancy

g = gender (male or female)

$e_0 \times g$ = interaction term.

p = period

When applied to 100 lifetables, least square regression.

Unit = lifetable.

5)

$$h_{ij} = c + \beta_1(e_0) + \beta_2(g) + \beta_3(e_0 \times g) + \beta_4(p) + \beta_5(h_{i,u})$$

j = Cause of death (CVD, neoplasms, or ...)

$h_{i,u}$ = component-specific hazard rate due to "other and unknown" cause.

β_5 = negative → h_{ij} reduced due to "other and unknown" cause.

True	CVD	Category	CVD	unknown
	100		20	80